PONDA SCHOOLS' ASSOCIATION

| | J | OINT FIRST TERMINAL EXAMINATION OCTOBER, 2018 | |
|----------------------------|----------------------------------|--|--------|
| Marks: 40 Sub: MATHEMATICS | | | : x |
| Date | : 29:10:20 | SEAT NO.: TIME: 1% | hrs |
| | 1. 2. 3. 4. 5. 6. | INSTRUCTIONS: Answer each main question on a fresh page. All questions are compulsory. The question paper consists of eight questions, each of 10 marks. Figures to the right indicate full marks. Use of calculators and Mathematical tables is not permitted. In geometrical constructions all construction lines and arcs should be retained. Graph paper will be supplied on request. | |
| Q.1. | | Select and write the most appropriate alternative from those provided in the brackets. | |
| | | um and the product of zeros of a quadratic polynomial in 'x' are -5 and 3, then the tic polynomial is | |
| | $(x^2 + 2)$ | $(x + 3, x^2 + 5x + 3, x^2 - 5x + 3, x^2 + 3x - 3)$ | |
| B) | | e zeroes of the following polynomial and verify the relationship between the zeros eir coefficients. | 2 |
| C) | polyno | division algorithm to find the quotient and the remainder by dividing the first mial by the second one. $3 + 3x^2 + 2x$; $x^2 + 2x + 2$ | 3 |
| D) | | nine all the zeroes of the polynomial $x^4 - x^3 + 8x^2 + 2x + 12$ if two zeroes and $-\sqrt{2}$. | 4 |
| Q.2. A | A) Select bracke | and write the most appropriate alternative from those provided in the ts. | 1 |
| | The eq | uations x - y + 6 = 0 and 12 x - 9y = 21 have | |
| | (Infinite | solution, no solution, one solution, two solutions) | |
| B) | The fol | lowing is a pair of linear equations in two variables. | 2 |
| | (k + 1) | x + 7y = 14 | |
| | i) Write d | own the condition for infinitely many solutions. e value of k. | |
| C) | Find th | e solution of ANY ONE of the following | 3 |
| i) | | y = 9 and $4x - 3y = 25$ (By elimination method) | |
| ii) | x - 5y | = 11 and 2x + 3y = - 4 (By substitution method) | |
| Std. : X | | -1 - Sub : Mather | matics |

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- The sum of a two digit number and the number obtained after reversing the order of the digits is 165. If the digits differ by 3, find the numbers.
- 4

3

3

3

3

3

1

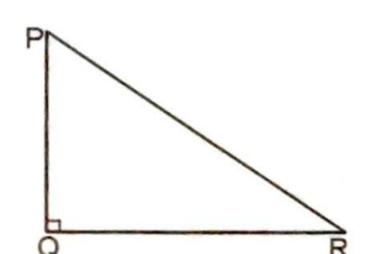
2

Q.3.A) Select and write the most appropriate alternative from those provided in the brackets.

The discriminant of the quadratic equation $4x^2 = 7x + 15$ is _____ (-196, -144, 196, 144)

- B) Find the roots of ANY ONE of the following quadratic equations.
 - i) $3x^2 + 10 = 11x$ (By factorisation method)
 - ii) $8p^2-14x-9=0$ (By using the quadratic formula)
- C) The perimeter of a rectangle is 82 cm and its area is 400cm². Find the dimensions of the rectangle.
- Find the roots of the following quadratic equation by the method of completing square $3x^2 5x + 2 = 0$
- Q. 4 A) Select and write the most appropriate alternative from those provided in the brackets.

B) In $\triangle PQR$, $\angle Q = 90^{\circ}$, If Tan R = $\frac{5}{12}$ then find:



- i) the length of PR.
- ii) the value of sec R
- iii) the value of Cosec P.
- C) Evaluate the following :

2Sin² 45² + Cosec30⁰ + 2Cos60² - 6Tan² 30⁰

D) Prove that :

 $\frac{\text{Cot A} + \text{Cosec A} - 1}{\text{Cot A} - \text{Cosec A} + 1} = \frac{1 + \text{Cos A}}{\text{Sin A}}$

Q.5. A) Select and write the most appropriate alternative from those provided in the brackets.

B) Attempt each of the following.

i) For what value of k will the equation $9x^2 + 3kx + 4 = 0$ have equal roots

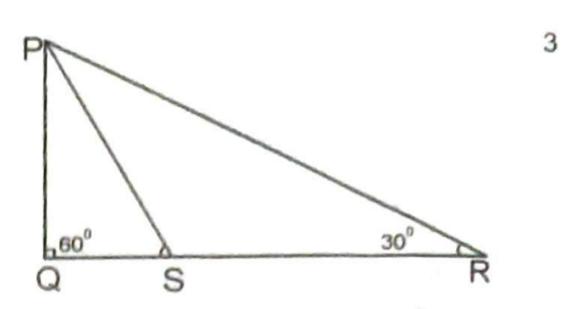
ii) Write the nature of the roots of the quadratic equation $3x + \frac{20}{3x} = 10$

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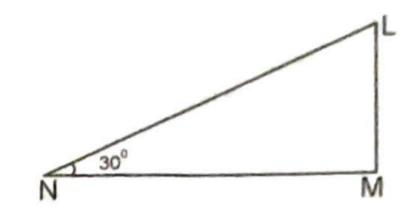
-2-

Sub : Mathematics

A tree stands vertically on the bank of a river. C) From a point on the other bank exactly opposite the tree angle of elevation to the top of the tree is 60°. From a point 20 m away from this point of the bank, the angle of elevation to the top of the tree is 300. Find the height of the tree and width of the river. (Take $\sqrt{3} = 1.73$)



A vertical pole casts a shadow 21 m long when D) the angle made by its shadow with the ground is 30°. Find:



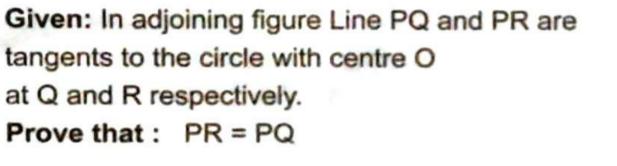
- The height of the pole.
- The angle made with the ground when the length of the shadow is $7\sqrt{3}$.
- Select and write the most appropriate alternative from those provided in the Q. 6 A) brackets.

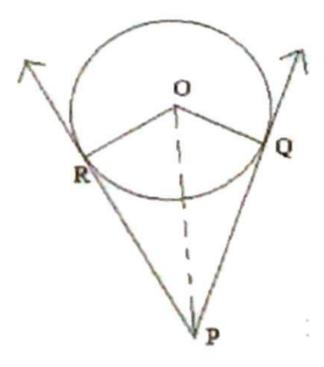


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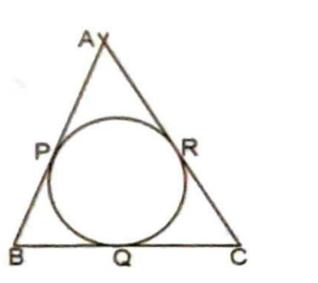
If PA and PB are two tangents to a circle with centre O, such that $\angle APO = 25^{\circ}$, then $\angle AOB =$ (25°, 50°, 100°, 130°)

Given: In adjoining figure Line PQ and PR are B) tangents to the circle with centre O





A circle is circumscribed by ABC which C) intersects the circle in points P, Q and respectively. If AB = 5 cm, BC = 8 cm and AC = 7 cm, find BP



3

Solve the following pair of linear equation graphically. D)

(3)

5x - y = 7 and x - y = -1 (Plot at least 3 points)

Std.: X

- 3 -

Sub: Mathematics

Q.7. A) Select and write the most appropriate alternative from those provided in the brackets.

(1)

- $\Delta XYZ \sim \Delta PQR$, YZ = 3 cm, QR = 4 cm and $ar(\Delta XYZ) = 54$ cm² then $ar(\Delta PQR) = _____ cm. (17, 72, 96, 162)$
- Attempt the following: B)
 - Draw a line segment AB of length 6 cm and divide it in the ratio 3:4:5. Measure and state the length of the longest part.

(2)

D and E are points on side AC and BC of AABC. Determine if DE II AB if AC = 10, CD = 4, EC = 2 and BC = 5.

(1)

Using a pair of compasses and ruler Construct AABC with sides AB = 4 cm, C) BC = 5 cm and AC = 7 cm. and then construct \triangle A'BC' similar to \triangle ABC whose sides are $\frac{2}{3}$ of the corresponding sides of $\triangle ABC$.

(3)

Using a pair of compasses and ruler draw a line segment PQ of length 7 cm. Taking D) 'P' as centre draw a circle of radius 2.5 cm. Construct tangents from point Q to the circle and state the length of the tangents.

Select and write the most appropriate alternative from those provided in the Q. 8. A) bracket.

(1)

If \triangle ABC is similar to \triangle DEF. \angle A = 47^0 and \angle E = 83^0 then \angle C = _____ $(80^{0}, 83^{0}, 50^{0}, 47^{0})$

(3)

With reference to the given figure and the given condition, write only the proof B) with reason of the following theorem.

Given: In \triangle ABC, \angle ABC = 90°,

BD \perp AC.

Prove that: $AC^2 + = AB^2 + BC^2$

D and E are points on side AB and AC of \triangle ABC and C) DE is parallel to BC. If AD = 8 cm, BD = 4 cm and AE = 3 cm, find

Length of AC.

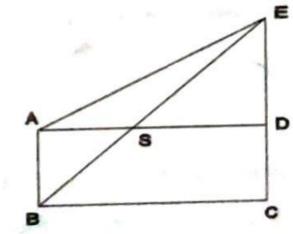


If $ar(\Delta ADE) = 36cm^2$, find $ar(\Delta ABC)$ ii)

(2)

ABCE is a trapezium in which AB II EC D) and AD II BC. AD and EB intersect each 3

other in point S. Prove that : ED \cdot AS = DC \cdot DS.



D